



Designing sustainable concrete on equivalence performance: assessment criteria for safety

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1. Introduction: why equivalent performance

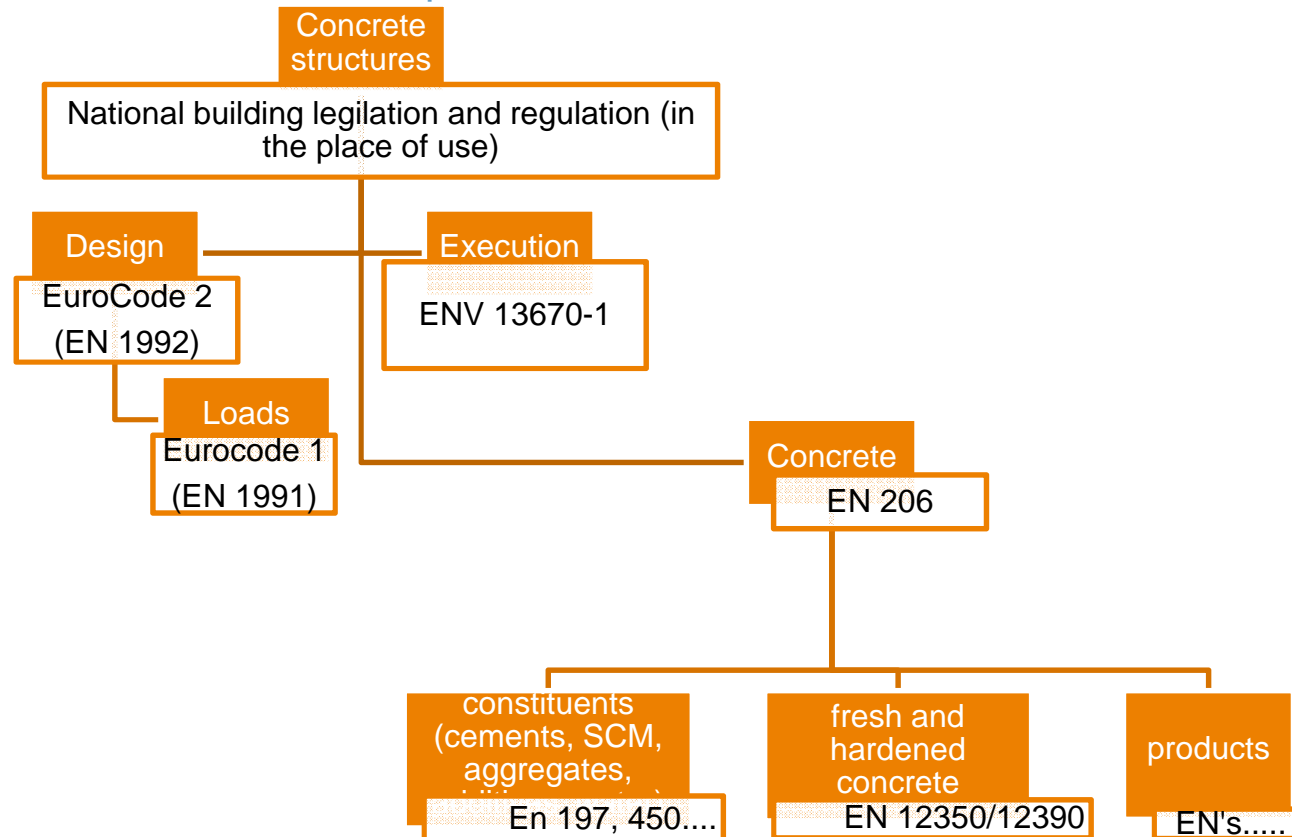
- › When a **new material is introduced**, how do we prove that it is **as safe and durable** as the materials that are already used
- › Most materials are already used for a long time – plenty of experience, data from the field to set up models (e.g. model codes), etc.
- › For new materials that want a **fast introduction** on the market a different approach has to be taken





1. Introduction: why equivalent performance

- › The **safety of structures** is guaranteed by the National Building Regulations, of which the EuroCodes are a part





1. Introduction: why equivalent performance

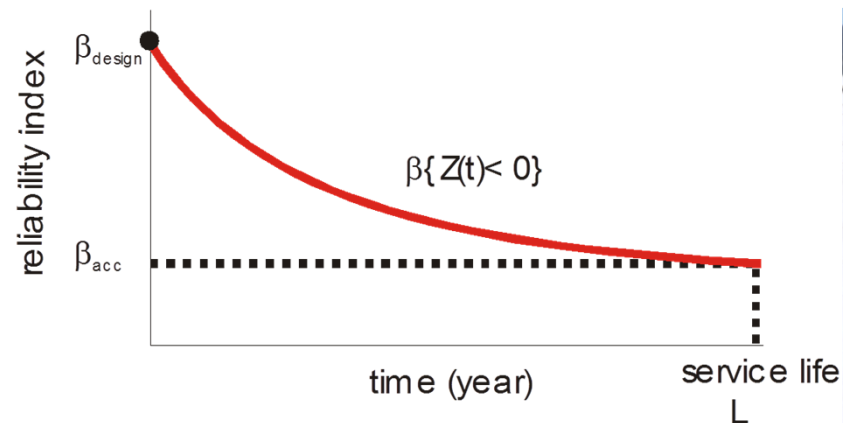
› Alternative approval routes within the standard framework:

1. Equivalent performance concept (within EN 206): for determining the contribution of alternative binders or additives to the performance but for limited combinations
2. Performance based design (within EN 206): to circumvent the use of deemed to satisfy rules for the concrete composition – limited to durability issues
3. Equivalence and equivalence solution (within NBR) : **generic!**



1. Introduction: why equivalent performance

- › Performance demands form the basis of the NBRs (together with functionality demands)
 - › Performance demands consist of clauses of the form:
 - › a **quantified** limit state (e.g. 1 toilet, resistance more than $xx \text{ s/m}^2$)
 - › An **unambitious determination method** (preferable a EN – standard)
- (Trivial determination methods need not to be mentioned, e.g. toilets can be counted)





1. Introduction: why equivalent performance

› The equivalence solution principle states:

A clause in the NBR does not have to be fulfilled if the (building / component / concrete) or its use differs from the clause if

THE SOLUTION IS OF AT LEAST THE SAME LEVEL OF SAFETY,

N.B. these are the six so-called 'pillars' or classes of performance demands in the NBR. Only safety is currently discussed

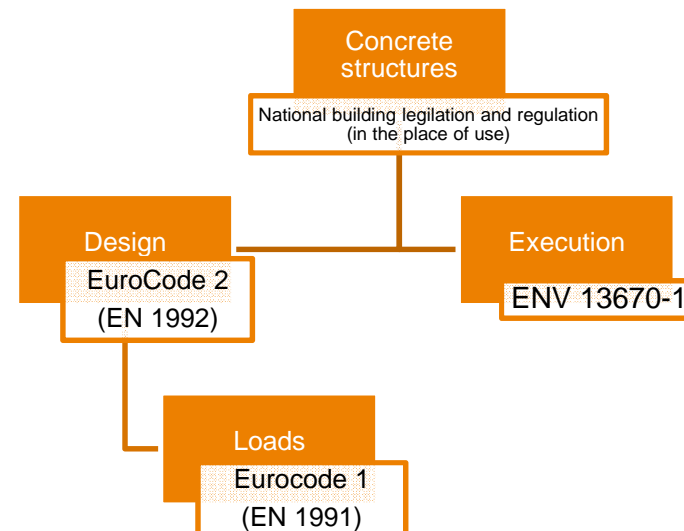


2. Which performances to take into account

› In the safety class it is ensured that a structure is able to resist its loads during its design service life

› The loads concern:

1. Mechanical loads (self weight, wind etc.)
2. Environmental loads (CO₂, acids etc.)
= Durability!
3. Fire





2 . Which performances to take into account

- › MATERIALS need to have a certain resistance against:
 - › Mechanical loads, including minimum compressive strength, tensile strength, elastic deformation variables etc.
 - › Environmental loads, including resistance against carbonation, chloride penetration freeze/thawing in the presence of de-icing salts etc.

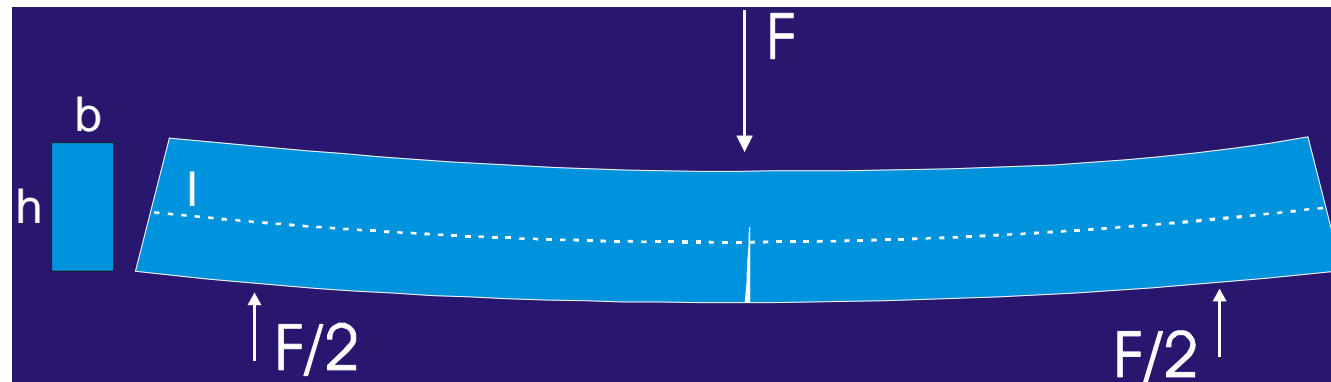




2. Which performances to take into account: mechanical loads

- › The complete list of required 'resistances' against the mechanical loads is given in the Model Codes
- › They are correlated to the resistance of the concrete described by mostly its mechanical properties that determines the structural behaviour upon a load:

E.g beam: $Z = R-S = bh^2f_c/6 - IF/4 > 0$





2. Which performances to take into account: mechanical loads

- › Mechanical properties that determines the structural behaviour upon a load:
 - › Compressive strength f_c
 - › Tensile strength f_t
 - › Elasticity constants E, μ
 - › Creep & shrinkage
 - › Stress-strain relationship for non-elastic calculations
- › There are several **influences on these properties** that have to be included as well: age (t), temperature (if cured under higher T), relative humidity (rh)



2. Which performances to take into account : mechanical loads

MATERIAL PROPERTY	Influences			
	test method	t	T	rh
f_c (cube, prism for E)	x	x	x	
f_t , (uniax, splitting)	X	X	X	X
E, (μ)				
creep, shrinkage		x	x	x
stress-strain relation				

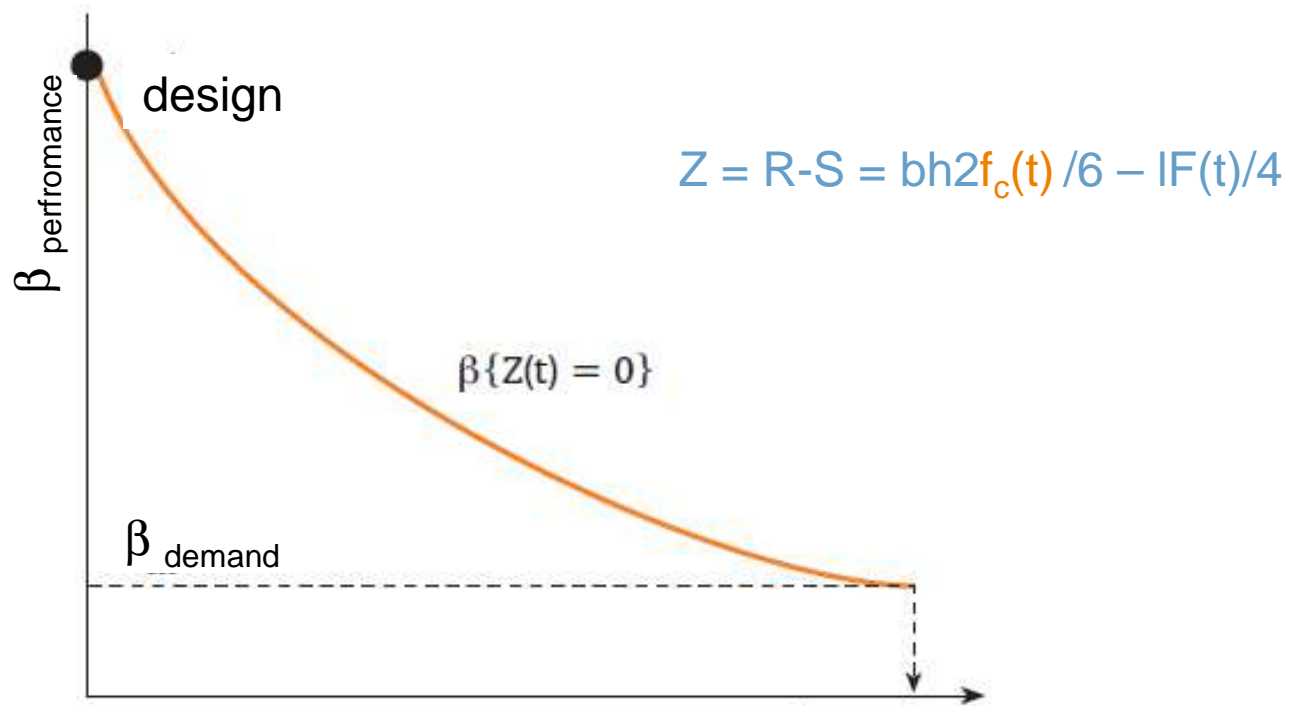
- › Is a **material equivalence** sufficiently proven if it is measured and the influences show the same type of behaviour as given in the Eurocode, for each variable?



3. Assessment criteria for safety: general principles

A **performance** is a **task** that is executed with a certain **quantified** result (limit state)

:

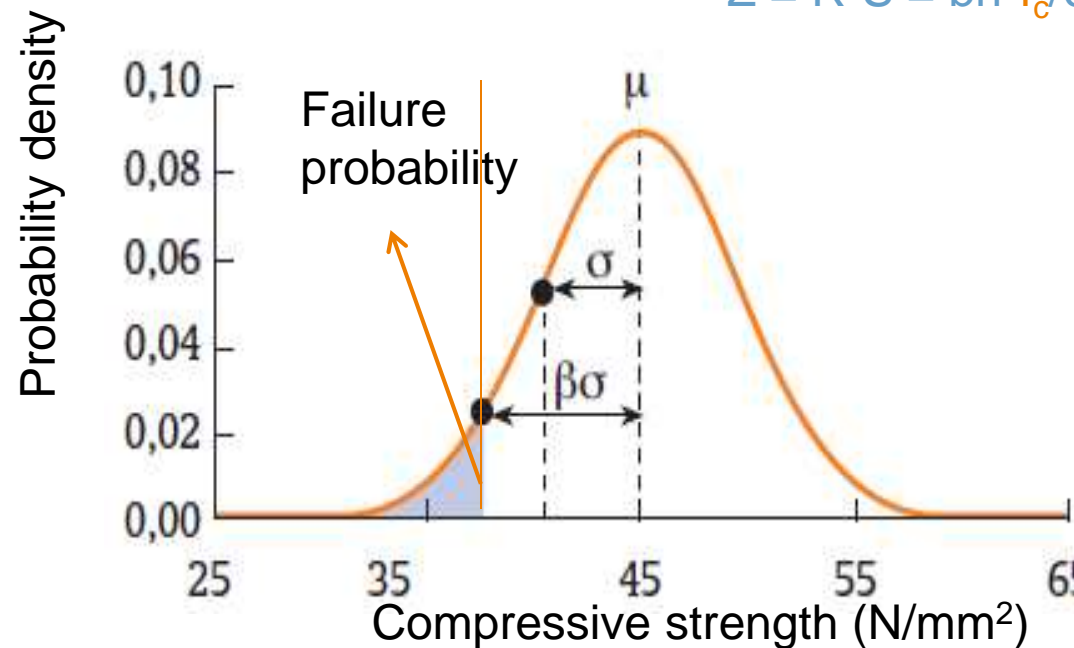




3. Assessment criteria for safety: general principles

- › Limit states cannot be calculated on the basis of average variables e.g. because the probability that the compressive strength is actually lower is too high (= 50 %)

$$Z = R - S = bh^2f_c/6 - IF/4 > 0$$

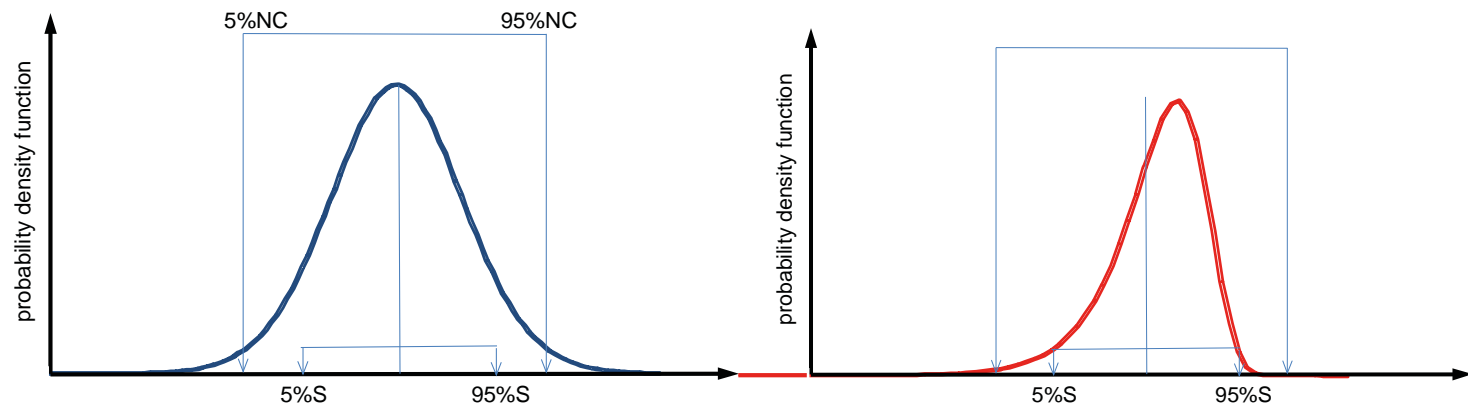


- › Normally full probabilistic calculations are made



3. Assessment criteria for safety: general principles

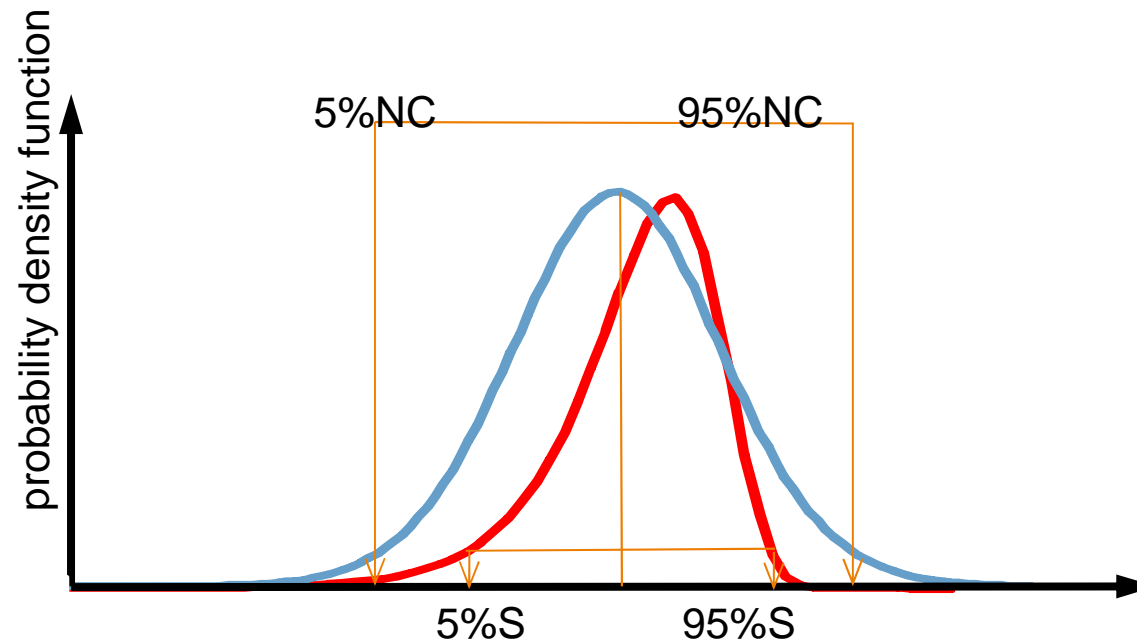
- › A way of avoiding full probabilistic calculation is on the basis of characteristic values, for which **equivalent or better properties** can be proven by means of:
 - › Characteristic values based on many measurements: real distribution, as given in model codes: $f'_{ck} = \mu - \beta\sigma = \mu(1 - \beta v)$
 - › Characteristic values based on few measurements: student t. distribution: $f'_{ck} = \bar{x}_n - \frac{t_{n-1}}{\sqrt{n}} S_n$





3. Assessment criteria for safety: general principles

- › How to prove **equivalence or better**?
- › Minimum fractile, maximum fractile or range
- › Below or above which a certain percentage is not allowed to pass
- › **Very important = type of distribution!**





4. General set-up for the assessment criteria

› Restrictions

- › Materials behaving **mechanically** the same (i.e. brittle, linear elastic)
- › Most relationships are empirically so no application outside the range of application for which they have been tested.
- › In the model codes, two classes are given, namely density and compressive strength **CLASS** e.g. C8-C88
- › Especially the mechanical strength will give the range of application

› **Single class / extreme class criteria:**

	Strength classes for concrete														Equation / explanation
f_{ck} (MPa)	12	16	20	25	30	35	40	45	50	55	60	70	80	90	
$f_{ck,cube}$ (MPa)	15	20	25	30	37	45	50	55	60	67	75	85	95	105	
f_{cm} (MPa)	20	24	28	33	38	43	48	53	58	63	68	78	88	98	$f_{cm} = f_{ck} + 8(\text{MPa})$
f_{ctm} (MPa)	1.6	1.9	2.2	2.6	2.9	3.2	3.5	3.8	4.1	4.2	4.4	4.6	4.8	5.0	$f_{ctm} = 0.30 \cdot f_{ck}^{(2/3)} \leq C50/60$ $f_{ctm} = 2.12 \cdot \ln(1 + (f_{cm}/10))$ > C50/60



5. Example

- › A producer of recycled aggregates noticed that the properties of his concrete varied depending on the **sand-lime / brick fraction**
- › A brick fraction of 50 % is already allowed
- › Because demolition of the next generation houses contain much more sand-lime brick (not allowed), he would like to know the future consequences.
- › First assessment of the 5 major mechanical properties

MATERIAL PROPERTY	Influences			
	test method	t	T	rh
fc, cube		3, 7, 28, 92 days		
ft, split		3, 7, 28, 92 days		
fc (prism), E, (μ) & stress-strain	x	No (28 days)		
creep, shrinkage		From 7 days		50 %



5. Example

› Tested = extreme case recycled aggregates:

- › 50 % recycled concrete/ 50 % clay brick
- › 50 % recycled concrete / 50 % sand-lime brick

› Assessment with respect to compressive strength:

(1) The characteristic strength is determined at the strength class the producer want to use it (C35)

(2) Strength development as given by the codes

$$f_{cm}(t) = \beta_{cc}(t) \cdot f_{cm} \quad \text{and} \quad \beta_{cc}(t) = \exp \left\{ s \cdot \left[1 - \left(\frac{28}{t} \right)^{0.5} \right] \right\}$$

With s is determined for different cements:

Strength class of cement	32.5 N	32.5 R 42.5 N	42.5 R 52.5 N 52.5 R
s	0.38	0.25	0.20



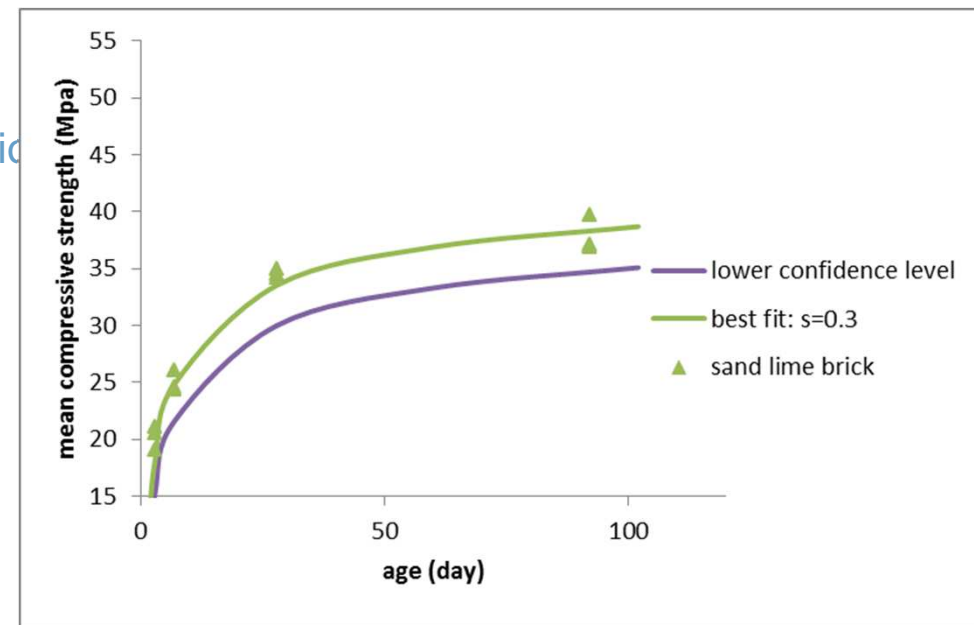
5. Example

- › (1) strength class:
as determined

	sand lime	clay brick
Average strength	34.6	42.3
Char. strength	34.0	39.3
Strength class	C30	C35

- › (2) strength development:
95% of all measurements (12)
within the 90% confidence region
(with EuroCode's $s=0.25$)

- › Conclusion:
strength development is
all right but
cost a strength class





4. General set-up for the assessment criteria

- › **Single class / extreme class criteria:**
 - › Mostly concerns relationships at 28 days between compressive strength and another mechanical property
 - › Boundaries of application given in the codes
 - › For classes, extreme classes have to be validated
 - › Within one class, different criteria may apply, e.g.:
 - › The characteristic values of the measured property should fall within the 95 % confidence region of the calculate values
 - › All individual measurement should be larger than the 0.1 % probability limit of the calculated value

	Strength classes for concrete														Equation / explanation
f_{ck} (MPa)	12	16	20	25	30	35	40	45	50	55	60	70	80	90	
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4. General set-up for the assessment criteria

- › **Relationship assessment criteria:**
 - › Mostly concerns simple, empirical models that contain fit constants
 - › Boundaries of application also given in the codes
 - › Within one model, three criteria should be formulated:
 1. A model confidence criterion (e.g. goodness of fit > 95%)
 2. A 5-95% reliability model parameters (from measured) should be larger than the predefined limits for these variables
 3. All individual measurements should fall within a certain confidence region of the model (e.g. 0.1 % probability limit)

	Strength classes for concrete														Equation / explanation
f_{ck} (MPa)	12	16	20	25	30	35	40	45	50	55	60	70	80	90	
$f_{ck,cube}$ (MPa)	15	20	25	30	37	45	50	55	60	67	75	85	95	105	
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5. Example

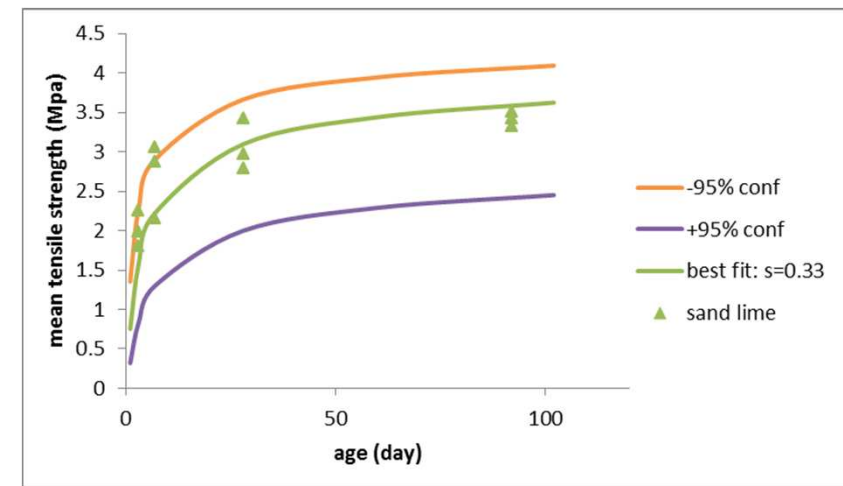
› Assessment with respect to tensile splitting strength:

- › the characteristic strength compared to calc.value from f_c :
in the 90% confidence range
- › Strength build up: model confidence is 87 % < 95 %
- › Not all individuals in 0.1% - 99.9% confidence boundaries from model

› Conclusion:

tensile – compressive strength remains the same
(and both slower at $s=0.3/0.32$)
but confidence for model fails

	sand lime		clay brick	
	M	C	M	C
$f_{tm}=0.3 \cdot f_{ck}(2/3)$	3.1	3.1	3.3	3.4
$f_{ctk}(5\%)=0.7 \cdot f_{ctm}$	2.5	2.2	3.1	2.4
$f_{ctk}(95\%)=1.3 \cdot f_{ctm}$	3.6	4.1	3.6	4.5





6. Summary and conclusions

› Assessment criteria – compressive strength

	characteristic (p=0.05)	lower boundary	upper boundary	used value for individuals
f_{cm} (cube)	determines strength class	-	-	
LQRfit ageing				
confidence	>0.95	-	-	
f_{cm} (best fit)	>char. value strength class	strength class	-	characteristic value strength class
s	from measurement	0	-	p=0.95 Student t best fit value

› Results for example

	mean	stdev	characteristic (p=0.05)	characteristic (p=0.95)	remark
ref.strength	34.6	0.40	33.9		strength class C25/30 (char. strength = 30)
LQRfit ageing					confidence =98.9 % >95%
f_{cm,28d}	33.5	1.20	32.9		char.best fit strength >30
s	0.30	0.06	0.27	0.33	char best fit > 0



6. Summary and conclusions

› Assessment criteria – tensile (splitting) strength overview

	relationship	lower boundary	upper boundary	boundary for individuals
$f_{ctm,28d}$	$f_{ctm} = 0.3 * f_{ck}^{2/3}$	$f_{ctk,m}(5%) > 0.7 * f_{ctm,c}$	$f_{ctk,m}(95%) < 1.3 * f_{ctm,c}$	$f_{ctk,m} = (0.44 - 1.56) * f_{ctm,c}$
LQRfit ageing confidence	>95%	-	-	
$f_{cm,28d}$ (best fit)		$f_{ctk,m}(5%) > 0.7 * f_{ctm,c}$	$f_{ctk,m}(95%) < 1.3 * f_{ctm,c}$	
s		$s(5%) > 0.7 * f_{s,c}$	$s(95%) < 1.3 * f_{s,c}$	
individuals		between 0.1% and 99.9% confidence boundaries from model with for low strength / high s and high strength / low s		0.1%: 0.44 99.9% 1.56

› Results from example

	mean	stdev	characteristic values		boundaries		criteria
			(p=0.05)	(p=0.95)	lower	upper	
individual meas.	Do not fall all within the boundaries						FAIL
model Confidence	86.9%						FAIL
$f_{ctm,28d}$	3.10	0.09	3.05	3.15	2.00	3.67	PASS
s	0.33	0.07	0.29	0.37	0.23	0.43	PASS



6. Summary and conclusions

- › An assessment procedure on the basis of equivalent performance is a fast and relative easy way to prove the suitability of new types of concretes.
- › The criteria are pretty strict, as they should be on the basis of the risks underlying them.
- › The procedure is based on proving that the new materials behave mechanically similar to the already accepted types of concrete.